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revise btec national Engineering



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Introduction

Which units should you revise?

This Revision Guide has been designed to support you in preparing for the externally assessed units of your course. Remember that you won't necessarily be studying all the units included here – it will depend on the qualification you are taking.

BTEC National Qualification	Externally assessed units	
For each of: Extended Certificate Foundation Diploma	1 Engineeering Principles 3 Engineering Product Design and Manufacture	
Extended Diploma	1 Engineering Principles 3 Engineering Product Design and Manufacture	
	6 Microcontroller Systems for Engineers	

Your Revision Guide

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and t	his book should be used in conjunction with it.	
The q	uestions in NOW try this have been written to help	
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	-	



an Information Booklet of Formulae and Constants and this includes the multiplication, division and powers laws of indices. Ideally, you should be confident in their use without reference to them.

The booklet is included in this Revision Guide on pages 81 to 85.

- **2** Express $\sqrt{(x^a \times x^b)}$ as a power of x
- **3** Evaluate $\sqrt[3]{9} \times \sqrt[6]{9}$







Exponential function

Nailed it!

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Nearly there

An exponential function (a^x) is one where the variable is the power, not the base. The Euler constant form of this expression (e') is found in many engineering disciplines such as aerodynamics, mechanics and electrical principles.



Using a calculator

SHIFT

Most calculators have the exponential button e^{x}

button; it may be a secondary function of the

'In' button. For example, to find $e^{2.5}$, press:

In

and the calculator should show 12.182....

2.5

Worked example

Had a look

In a production process involving heat transfer, the temperature θ °C of a mould, at time *t* minutes, is given by $\theta = 250 + 150e^{-0.15t}$. Determine the temperature of the mould after 5 minutes.

- $\theta = 250 + 150e^{-(0.15 \times 5)} = 250 + 150e^{-(0.75)}$
 - = 250 + 70.8549
- $\theta = 320^{\circ}C$ (to 2 s.f.)

Now try this

- 1 A manufacturer quadruples its production of a component from 2000 units per year every year for three years. Calculate the number of components produced at the end of the third year.
- 2 The voltage (V_c) across a capacitor in a RC circuit is given by $V_c = V_s(1 e^{-\frac{1}{\tau}})$, where τ is the time constant and V_s is the supply voltage. Determine the value of V_c at $t = 5\tau$ when the supply voltage is 4.5V.

Unit 1

Content



Equations of lines

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Nearly there

The equation of a straight line can be written in the form y = mx + c, where m is the **gradient** of the line, and c is the point where it crosses the y-axis.

Point and gradient



If you are given the gradient *m* of a straight line that passes through a point (x_1, y_1) , then you can write its equation as:

Had a look

 $y - y_1 = m(x - x_1)$ to obtain an expression of y in terms of x.

Worked example

A straight line passes through the point (-3, 2) and has a gradient -2. Find an equation for this line in the form ax + by + c = 0, where *a*, *b* and *c* are integers.

> $y - y_1 = m(x - x_1)$ y - 2 = -2(x - (-3))y - 2 = -2x - 6

y + 2x + 4 = 0

If you are given two points on a line, (x_1, y_1) and (x_2, y_2) , you can calculate the gradient using: $m = \frac{y_2 - y_1}{1}$

 $m = \frac{1}{x_2 - x_1}$

Worked example

The line *L* passes through the points (1, 1) and (2, 4). Find an equation for *L* in the form y = mx + c. Gradient $(m) = \frac{4-1}{2-1} = 3$ y = mx + c y = 3x + c 1 = 3(1) + c (from point (1, 1)) c = -2 so y = 3x - 2Check using point (2, 4): 4 = 3(2) - 2

Nailed it!

Once you've evaluated the value of c, you can substitute this in the general equation of the straight line y = mx + c

Worked example Intercepts You can find where the line y = mx + cintercepts both the x- and the y-axes. Determine the intercepts for the x- and y-axes of the line The y- intercept is given by the value of c, 3y - x = 6. and the x- intercept can be evaluated by Rearranging the expression in the form setting the value of y to O. y = mx + c gives $y = \frac{1}{3}x + 2$, therefore the y I y-axis intercept is +2 (when x = 0). 4 Setting y = 0: 3 $\frac{1}{3}x + 2 = 0$ 2 x + 6 = 0-6 -5 -4 -3 -2 -1 0 1 2 3 4 x = -6 Therefore, the x- intercept is -6. You can sketch a graph to check your answer. Graph of $y = \frac{1}{3}x + 2$ The gradient is positive because the *m* term $(\frac{1}{2})$ is positive and the line passes through the x-axis at -6 and the y-axis at +2.

Now try this

- 1 The line *L* passes through the point (6, –5) and has gradient $-\frac{1}{3}$. Find an equation for *L* in the form ax + by + c = 0, where *a*, *b* and *c* are integers.
- 2 The line *L* passes through (-4, 2) and (8, 11). Find an equation for *L* in the form y = mx + c, where *m* and *c* are constants.

Copyrighted <u>Material</u> Unit 1 Had a look Nearly there Nailed it! Content

Simultaneous linear equations

Linear equations have the form y = mx + c (i.e. no x^2 or y^2). Simultaneous equations can be solved using either the substitution or the elimination method. Whichever method you use, remember to number the equations to keep track of your working.



V The solutions to a pair of linear simultaneous equations correspond to the point where the graphs of the equations intersect. \checkmark The point of intersection has an x value and a y value.

linear equations y - 2x = 2 and -2y + 5 = x.

Worked exampleSolve the simultaneous equations: $y - 3x = 8$ $2y + 11 = -9x$ $2y + 11 = -9x$ (2)From (1): $y = 3x + 8$	You can substitute for x or y. It is easier to substitute for y because there will be no fractions. Remember to number your equations.	Worked example Solve the simultaneous equations 6x + 6 = 5y (1) 3y + 2x = 7 (2) Multiply equation (2) by -3 and rearrange to make the x terms the same
Substitute (3) into (2) and simpli 2(3x + 8) + 11 = -9x 6x + 16 + 11 = -9x $15x = -27, x = -\frac{27}{15} = -1.8$ Substitute $x = -1.8$ into equation	fy to find <i>x</i> :	to make the x terms the same. -6x + 21 = 9y (3) Add equation (1) to equation (3) to eliminate the term $6x$ and $-6x$. 27 = 14y, $y = 1.93$; now substitute into (2) to obtain x:
y - 3(-1.8) = 8, y = 8 - 5.4 Remember that the value of represent the coordinates of where the simultaneous equi	= 2.6 x and y of the point ations intersect.	$(3 \times 1.93) + 2x = 7, x = 0.61$ You can check your solution by substituting x = 0.61 into equation (1): $(6 \times 0.61) + 6 = 5x$
Elimination		y = 1.93

5x

Manipulate one of the equations to make either the xor the y terms exactly the same in both equations.

Now try this

Solve the following simultaneous equations:

1	2x + 13 = -3.5y	2	14 = 3y + 5x
	-3x = -9y		10x = 4y + 7



Factorise and, hence, show that the complete expression is equal to $\frac{3v}{V_i + V}$.



Quadratic equations occur throughout engineering in different forms. You must be able to identify them and know how to solve them using three methods. Factorisation and completing the square are shown below. Use of the formula is shown on page 8. You will find practical uses for these methods on page 20.

Factorising a quadratic

You can follow these steps to solve some quadratic equations:



Rearrange the equation into the form $ax^2 + bx + c = 0$.



Factorise the left-hand side.

Set each factor equal to zero and solve to find two values of t: (t - 3)(t + 5) = 0.

The valid solution is the value of t that is greater than O. This is given by the factor (t - 3), therefore the answer is t = 35.

You could indicate this in your answer by writing: where $t \ge 0$.

_ _ _ _ _ _

Worked example

The displacement of a car in metres (s) is given by $s = 2t + t^2$, where t is in seconds. Find how long it takes to travel 15 m. Find two numbers with a sum of +2 and a product of -15. $t^2 + 2t - 15 = 0$ The required numbers (t-3)(t+5) = 0 are '-3' and '+5'. t - 3 = 0or t + 5 = 0t = 3st = -5sor Discount the negative root in which t = -5s.



Worked example

The area of a rectangular building (length x) is given by 4 = x(5 - x), where the width in metres is (5 - x). Find the roots and, hence, the length and width.

$x^2 - 5x = -$	4	1	Complete the	ina
$x^2 - 5x + (\frac{1}{2})$	$(\frac{5}{2})^2 = -4 + ($	$\frac{-5}{2})^2$	$\left(\frac{-5}{2}\right)^2$ to both s	sides.
(x – 2.5	$)^{2} = (-2.5^{2})$	- 4		
x - 2.	$5 = \pm \sqrt{2.25}$			\
cherefore 2	x = +1.5 + 2	.5 =	4 (length)	
or :	x = -1.5 + 2	.5 =	1 (width)	/
		$x^2 - \frac{1}{2}$ writte $(x - \frac{1}{2})$	$5x + (\frac{-5}{2})^2$ may on as $(a + \frac{b}{2})^2$ c 2.5) ² .	be >r

The coefficient of the x term is the numerator of the 'complete the square' term.



Remember to add $(\frac{b}{2})^2$ to both sides of the equation.

Now try this

The distance x, in metres, along a beam where the bending moment = 0 is given by $5x^2 + 14x - 3$. Factorise this expression and, hence, find the position of x.



You need to put this expression = 0, find the roots and then discard negative values. Remember to include the units (metres).



Quadratic equations 2

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Had a look

Nearly there

In some cases, you will be unable to solve quadratic equations by factorisation or completing the square. You will need to solve them using the formula instead. You will find practical uses for this method on page 72.

Solution by formula	e: Using the formula
You can solve any quadratic by use of the formula,	The formula will be on the formulae sheet, but
but it must be in the form $ax^2 + bx + c = 0$, where	be confident in using the discriminant to check
$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ c is the 'c' term	the nature of the roots.
b is the	\bigvee If $b^2 - 4ac > 0$ then there are two
coefficient	solutions.
of x	\bigvee If $b^2 - 4ac = 0$ then the quadratic has
Quadratics come in many forms, for example:	one solution.
$120I = 10I^2 + 100$	W If $b^2 - 4ac < 0$ then the quadratic
$(y-2)^2 = 18$	doesn't have real roots.
You need to recognise the different forms and	You will not be asked to solve quadratics
use the appropriate method to find the solution.	where $b^2 - 4ac < 0$.

Worked example

A duct manufacturer produces a rectangular ducting sheet of 28 m^2 in which the area is related to the width by the expression $28 = 1.6w^2 + 4.2w$. What is the width of the sheet?

 $28 = 1.6w^{2} + 4.2w \text{ or } 1.6w^{2} + 4.2w - 28 = 0$ a = 1.6, b = 4.2, c = -28 $w = \frac{-4.2 \pm \sqrt{4.2^{2} - 4 \times (1.6 \times (-28))}}{2 \times 1.6}$

 $w = \frac{-4.2 \pm 14.029}{3.2} = 3.07 \text{ or } -5.69$ Reject negative answer, width = 3.07 m (to 2 d.p.)



Nailed it!

Robotic arm on a Mars lander. Calculating the distance to turn a robotic arm in mid-motion is one use of the quadratic formula to solve $s = ut + \frac{1}{2}at^2$.

Now try this

The height, h, of a ball thrown vertically is given by

 $h = -4.3t^2 + 54t + 13$

where *t* is time, measured in seconds. The time to reach the ground will be given when h = 0. Calculate the time taken for the ball to reach the ground, using the quadratic equation.

The equation will provide two solutions. In this example, one of them will be negative, which should be rejected.

Don't forget to specify the units.

8



 $100^{\circ} = \frac{100}{180} \times \pi = \frac{1}{9} \pi \text{ rad}$ Area = $\frac{1}{2} r^2 \theta = \frac{1}{2} \times 42^2 \times \frac{5}{9} \pi = 1539.3804$ $\approx 1540 \text{ cm}^2$ (to 3 s.f.) Convert the angle to radians then use the formula for the area of the sector. Remember to round your final answer to 3 significant figures and give the correct units.

Now try this

- 1 Find the arc length and area of the sector of a circle, with radius 4 cm, which contains an angle of 30°.
- 2 A plasma cutter is used to cut sectors of a circle for ventilation trunking. The arc length of each sector is 450 mm and the radius is 1 m. Find the angle, in radians, of a sector and, hence, the number of complete sectors that can be obtained from a circle of sheet metal with radius 1 m.



Trig values for θ

The value of θ (pronounced theta) may be represented in degrees, or as radians, in terms of π .

θ (°)	heta (radians)	sin $ heta$	$\cos heta$	tan $ heta$		
0	0	0	1	0		
45	$\frac{\pi}{4}$	0.707	0.707	1	Make sure you are confident using	
90	<u>π</u> 2	1	0	-∞	both 'rad' and 'deg' modes on your calculator.	
270	<u>3π</u> 2	-1	0	-∞		
360	2π	0	1	0		

Now try this

- Produce a table that states the values of sin θ, cos θ and tan θ at the following intervals: 0°, 30°, 45°, 60°, 90°, 135°, 180°, 270°, 360°. Include a column in the table for the radian equivalent of each of these angles.
- 2 Evaluate the length of *BC* in triangle *ABC*, in which angle *B* is a right-angle, angle *A* is $\frac{\pi}{4}$ rad and *AB* is 10 cm.

First sket

First make a rough sketch of the triangle.







Compare your graphical solution with that found using the analytical approach described above.

13

80 N



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Had a look

Nearly there

Nailed it!

You need to know how to calculate the surface areas and volumes of cylinders, spheres and cones.





Coplanar non-concurrent forces act in a single plane but do not all pass through a common point.

effects and so an extra piece of information is required to fully define them.

Fully defined resultant force of a non-concurrent system with magnitude, direction, sense and distance from a centre of rotation to the line of action.

30°

s, Perpendicular P, Centre distance from of rotation the line of action of the force

Direction

Now try this

The space diagram shows a stationary weight on a slope or inclined plane. Friction is preventing the weight from sliding down the slope.

Draw a free body diagram for this system.

Note that, in your exam, you may find the terms 'free body diagram' and 'space diagram' are used interchangeably.



Calculate the magnitude and direction of the resultant for this system of coplanar forces.



16 N



Now try this

Determine whether the system of forces acting on this square plate is in static equilibrium by finding the sum of the vertical and horizontal components of the forces present and taking moments about point *A*.



To revise resolving forces and resolving a force into horizontal and vertical components, see page 16.





Now try this

Mor to f that

Refer back to page 17 Moments and equilibrium to find the conditions that must be met for static equilibrium.

Links You could also work through the additional beam problem given on page 69.

still satisfies all the conditions of static equilibrium.

Check the solution in the Worked example by determining whether the beam

	Copyrighted Material Unit] Had a look Nearly there Nailed it! Content
	Direct loading
	Direct log ting includes tensils forece, which will and stratch a component, and compressive foreces
	which push and squeeze a component. Direct loading gives rise to direct stress and direct strain.
	Direct stress (σ)
	Direct stress is a measure of the direct load inside the material perpendicular to the applied load.
	Direct stress (σ) = $\frac{\text{Normal force (F)}}{\text{Area } (A_{\sigma})}$
	Stress has units N/m^2 or Pa ($N/m^2 = 1$ Pa).
	Direct loading force (F)
-	
	Direct strain (\mathcal{E}) Direct loading force (\mathcal{F})
	Direct strain is a measure of the deformation caused
	by an applied direct stress.
	Direct strain (ε) = $\frac{\text{Change in length } (\Delta L)}{\text{Original length } (L)}$
	Strain is a dimensionless quantity and has no units. Original length (L)
	Direct loading force (F)
	Also known as Young's modulus, the Modulus of elasticity (E) expresses the linear relationship between direct stress and direct strain.
	Modulus of elasticity (E) = $\frac{\text{Direct stress }(\sigma)}{\text{Direct stress }(\sigma)}$
	Direct strain (\mathcal{E})
	Modulus of elasticity has units N/m ² or Pa.

Now try this

The sketch shows part of a structural beam that is loaded in tension. Calculate the direct stress in the beam.





Rivets are often used to join two parallel metal plates. A cross-section of such an arrangement is shown in the diagram. Calculate the shear stress in the rivet.

Rivet



Don't forget to change the values given in the question to standard units before performing any calculations.