



Unit 6 – Multiplication and division

I Multiples of 10

→ pages 8–11

Discover

- Bella has collected **7** bean bags. Bella scored **70**.
 - Andy has collected **13** bean bags. Andy scored **130**.

Think together

- 170
 - 210
- 11 tens 23 tens
 - Children should match:

34×10	340
13×10	130
10×43	430

3.

●	15	105	501
●	●	●	55
93	●	●	●
●	●	301	●

2 Related calculations

→ pages 12–15

Discover

- There are **18** balloons in total.
 - There are **180** candles in total.
 6×3 ones is 18 ones.
 So, 6×3 tens is 18 tens.
 6×3 and 6×30 are related facts.

Think together

- $8 \times 2 = 16$
 - $8 \times 20 = 160$
- $4 \times 3 = 12$
 $4 \times 30 = 120$
 - $7 \times 5 = 35$
 - $7 \times 50 = 350$
 - $70 \times 5 = 350$
 - $6 \times 4 = 24$
 - $6 \times 40 = 240$
 - $60 \times 4 = 240$
- $4 \times 5 = 20$
 $40 \times 5 = 200$
 $5 \times 40 = 200$
 - $2 \times 4 = 8$
 $20 \times 4 = 80$
 $4 \times 20 = 80$

3 Reasoning about multiplication

→ pages 16–19

Discover

- Lexi has more apples.
 - Richard has **12** apples. Lexi has **15** apples.
 $12 + 15 = 27$
 There are **27** apples in total.

Think together

- Richard has more pears.
 - There are **28** pears in total.
- $3 \times 5 < 18$
 - $4 \times 5 > 5 \times 3$
 - $5 \times 3 = 3 \times 5$
 - $8 \times 2 > 3 \times 5$
- $3 \times 40 > 2 \times 20$
 - $7 \times 30 = 30 \times 7$
 - $6 \times 20 = 3 \times 40$
 - $4 \times 30 > 5 \times 20$

4 Multiply 2-digits by 1-digit – no exchange

→ pages 20–23

Discover

- Each person bought **23** flowers. Children should show 23 on base 10 equipment: 2 tens and 3 ones.
 - The 3 people bought **69** flowers altogether.

Think together

- 48
 - 84
- $3 \times 13 = 39$
 - $3 \times 22 = 66$
- $11 \times 3 = 33 \text{ m}$
 $21 \times 3 = 63 \text{ m}$
 $31 \times 3 = 93 \text{ m}$

5 Multiply 2-digits by 1-digit – exchange

→ pages 24–27

Discover

- Max is working out the calculation 3×12 .
 $3 \times 12 = 36$, so Max is not correct.
 - Jamilla is working out 3×24 .
 $3 \times 24 = 72$



Think together

- $4 \times 3 = 12$
 $4 \times 20 = 80$
 $4 \times 23 = 92$
- $10 \times 2 = 20$
 $7 \times 2 = 14$
 $17 \times 2 = 34$
- Children should predict the greatest and smallest products.

$14 \times 5 = 70$	
$15 \times 4 = 60$	smallest product
$24 \times 5 = 120$	greatest product
$25 \times 4 = 100$	
$45 \times 2 = 90$	

6 Expanded written method

→ pages 28–31

Discover

- a) Mrs Dean travels **92 km** in total.
 b) The total distance is **32 km**.

Think together

- $15 \times 6 = 90$ km
- $15 \times 5 = 75$
- $54 \times 3 = 162$
 $53 \times 4 = 212$
 $45 \times 3 = 135$
 $43 \times 5 = 215$ greatest product
 $34 \times 5 = 170$
 $35 \times 4 = 140$

7 Link multiplication and division

→ pages 32–35

Discover

- a) Each dog will get **2** bones.
 b) Each dog will get **20** treats.

Think together

- | | |
|-------------------|-----------------|
| $5 \times 3 = 15$ | $15 \div 3 = 5$ |
| $2 \times 4 = 8$ | $8 \div 4 = 2$ |
- | | | |
|-------------------|--------------------|---------------------|
| $4 \times 5 = 20$ | $3 \times 10 = 30$ | $50 \times 2 = 100$ |
| $20 \div 5 = 4$ | $30 \div 10 = 3$ | $100 \div 2 = 50$ |
- | | |
|----------------------|-----------------------|
| a) $5 \times 6 = 30$ | b) $12 \times 3 = 36$ |
| $6 \times 5 = 30$ | $3 \times 12 = 36$ |
| $30 \div 6 = 5$ | $36 \div 12 = 3$ |
| $30 \div 5 = 6$ | $36 \div 3 = 12$ |

8 Divide 2-digits by 1-digit – no exchange

→ pages 36–39

Discover

- a) There are 48 sheep.
 $48 \div 2 = 24$
 Each farmer has **24** sheep.
 b) $48 \div 4 = 12$
12 sheep go in each pen.

Think together

- $39 \div 3 = 13$
- $68 \div 2 = 34$
- $84 \div 4 = 21$

Alex's method is more efficient for such a large number.

9 Divide 2-digits by 1-digit – flexible partitioning

→ pages 40–43

Discover

- a) 42 lanterns were released.
 Children should use base 10 equipment to show 42: 4 tens and 2 ones.
 b) $42 \div 3 = 14$
 Each boat released **14** lanterns.

Think together

- a) $36 \div 2 = 18$
 b) $48 \div 3 = 16$
- $56 \div 2 = 28$ $75 \div 3 = 25$
- a) $65 \div 5 = 13$
 b) $75 \div 5 = 15$
 c) $85 \div 5 = 17$

10 Divide 2-digits by 1-digit with remainders

→ pages 44–47

Discover

- a) $6 \div 2 = 3$
 There are 2 equal teams with **3** players on each team.
 b) 7 cannot be shared equally by 2. There is one left out.
 We say $7 \div 2 = 3$ remainder 1.



Think together

- $9 \div 3 = 3$ $10 \div 3 = 3$ remainder 1
 $11 \div 3 = 3$ remainder 2
- $21 \div 3 = 7$ $21 \div 4 = 5$ remainder 1
 $21 \div 5 = 4$ remainder 1
- $38 \div 3 = 12$ remainder 2
 - 12 children stand in each line.
 - 2 children are left over.

- There are 6 different ways to buy different items:



- There are 4 more ways if they can choose the same item.
There are 10 ways altogether.

II How many ways?

→ pages 48–51

Discover

-

Hat	Scarf
Hat A	Scarf 1
Hat A	Scarf 2
Hat B	Scarf 1
Hat B	Scarf 2
Hat C	Scarf 1
Hat C	Scarf 2
Hat D	Scarf 1
Hat D	Scarf 2

There are 8 different ways.

- The total number of ways to dress the snowman is $4 \times 2 = 8$ ways.

Think together

- $5 \times 2 = 10$ ways

-

Coat	Shoes
A	1
A	2
B	1
B	2
C	1
C	2
D	1
D	2
E	1
E	2

- There are $2 \times 3 = 6$ possible pairs.
 - The possible pairs are:
 book / crayon rucksack / crayon
 book / ruler rucksack / ruler
 book / sharpener rucksack / sharpener

I2 Problem solving – mixed problems (I)

→ pages 52–55

Discover

- Amal makes 56 wooden horses in 4 days.
 - Sofia makes 23 wooden giraffes each day.

Think together

- There are 72 wheels in total on 6 trains.
- 16 helicopters can be made in 48 hours.
- Sofia makes 130 toy people in 5 hours.

I3 Problem solving – mixed problems (2)

→ pages 56–59

Discover

- Kate has 72 marbles.
 $72 - 10 = 62$
Zac has 62 marbles.
 - There are 35 marbles in one bag and 27 marbles in the other.

Think together

- The total weight of the marbles is 83 grams.
- 12 shooter marbles weigh 36 grams more than 12 tiger marbles.
- A tiger marble costs 15p.

End of unit check

→ pages 60–61

- | | |
|------|----------------|
| 1. C | 5. C |
| 2. C | 6. 280 kg |
| 3. D | 7. 36 counters |
| 4. D | |



Unit 7 – Length and perimeter

I Measure in m and cm

→ pages 64–67

- Zac’s paper aeroplane has travelled **2 m 50 cm**.
 - Bella’s paper aeroplane has travelled **4 m 30 cm**.

Think together

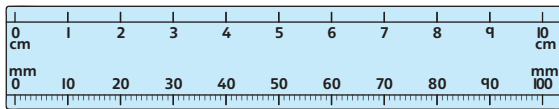
- The first ball has rolled **1 m 30 cm**.
The second ball has rolled **2 m**.
The third ball has rolled **2 m 75 cm**.
 - Max is **1 m 35 cm** tall.
- Children should measure their own table and write the length, width and height in cm.
- Children should explain using a metre stick to measure three lengths of 1 m and one length of 7 cm. They should describe lining the metre stick up at 0 cm each time and marking the string to show 1 m each time.

2 Measure in cm and mm

→ pages 68–71

Discover

- The centipede is **5 cm** long. The ant is **7 mm** long.
 - The worm is **27 mm** long.



Think together

- The snail is **13 mm** long.
 - The grasshopper is **30 mm** long.
The ladybird is **6 mm** long.
 - The children should draw lines that are 13 mm, 30 mm and 4 mm long.
- No. Max has not aligned his line with the 0 mm mark. He started at 2 mm.

To work out the actual length of the line, subtract 2 mm from the measured length.

$$27 - 2 = 25 \text{ mm.}$$

Max’s line is 25 mm long.

- 26 mm
 - 40 mm
 - 45 mm

3 Reasoning about multiplication

→ pages 72–75

Discover

- Ebo measured the playground in **metres**.
 - There are **100 cm** in 1 m.
There are **10 mm** in 1 cm.

Think together

- Book: **25 cm**
Coin: **20 mm**
Speed boat: **12 m**
- i) $1 \text{ m} = \mathbf{100 \text{ cm}}$ ii) $2 \text{ m} = \mathbf{200 \text{ cm}}$
iii) $3 \text{ m} = \mathbf{300 \text{ cm}}$
 - $1 \text{ cm} = \mathbf{10 \text{ mm}}$ ii) $2 \text{ cm} = \mathbf{20 \text{ mm}}$
 - $3 \text{ cm} = \mathbf{30 \text{ mm}}$ iv) $4 \text{ cm} = \mathbf{40 \text{ mm}}$
- There are 100 mm in 10 cm, so there will be **1,000 mm** in 100 cm or 1 m.

4 Equivalent lengths (m and cm)

→ pages 76–79

Discover

- The **213 cm** window will fit.
 - 1 m 21 cm is **121 cm**.

Think together

- The window is **107 cm** high.
 - The window is **3 m** and **14 cm** wide.

2 m 34 cm	234 cm
3 m 17 cm	317 cm
4 m 63 cm	463 cm
0 m 93 cm	93 cm

- $4 \text{ m } 4 \text{ cm} = \mathbf{404 \text{ cm}}$
 - $4 \text{ m } 44 \text{ cm} = \mathbf{444 \text{ cm}}$
 - $4 \text{ m } 40 \text{ cm} = \mathbf{440 \text{ cm}}$
 - $4 \text{ m} = \mathbf{400 \text{ cm}}$

5 Equivalent lengths (mm and cm)

→ pages 80–83

Discover

- Luis could use **either ruler** to measure his thread.
 - The thread is **24 mm** or **2 cm 4 mm**.



Think together

- The shorter piece of string is **37 mm** long.
 - The longer piece of string is **6 cm 6 mm** long.
- | | |
|-----------|-------|
| 2 cm 9 mm | 29 mm |
| 8 cm 4 mm | 84 mm |
| 6 cm 5 mm | 65 mm |
| 0 cm 9 mm | 9 mm |
- Children should draw lines of the correct lengths:
 - 5 cm 8 mm
 - 102 mm
 - 10 cm 3 mm
 - 13 mm
- Children should place string along the curves of the lines. Then they should straighten the string and hold it against a ruler to measure the lengths.

6 Compare lengths

→ pages 84–87

Discover

- Lee and Olivia are tall enough to go on the ride.
 - Lee's height is closest to 1 m 30 cm.

Think together

- Lexi is in first place (363 cm = 3 m 63 cm), Mo is in second place (3 m 59 cm) and Danny is in third place (2 m 99 cm).
- Box B contains the shortest ribbons.
- The longer measurement in each pair is:
 - 30 cm (30 cm is 300 mm, so is longer than 294 mm)
 - 490 cm (4 m 9 cm is 409 cm, so 490 cm is longer)
 - 3 m 1 cm (3 m 1 cm is 301 cm, so is longer than 199 cm).

7 Add lengths

→ pages 88–91

Discover

- The new piece of bunting is **7 m 75 cm** or **775 cm**.
 - They would have **7 m 50 cm** or **750 cm** of bunting.

Think together

- The bunting is **3 m 75 cm** or **375 cm**.
 Flo's method:
 $125\text{ cm} = 1\text{ m }25\text{ cm}$
 $0\text{ m} + 1\text{ m} + 2\text{ m} = 3\text{ m}$
 $35\text{ cm} + 25\text{ cm} + 15\text{ cm} = 75\text{ cm}$
 $3\text{ m} + 75\text{ cm} = 3\text{ m }75\text{ cm}$ or 375 cm
 Dexter's method:
 $2\text{ m }15\text{ cm} = 215\text{ cm}$
 $35 + 125 + 215 = 375\text{ cm}$ or $3\text{ m }75\text{ cm}$

- The total height of the model is **3 cm 8 mm** or **38 mm**.

Flo's method:

$$12\text{ mm} = 1\text{ cm }2\text{ mm}$$

$$0\text{ cm} + 1\text{ cm} + 2\text{ cm} = 3\text{ cm}$$

$$5\text{ mm} + 2\text{ mm} + 1\text{ mm} = 8\text{ mm}$$

$$3\text{ cm} + 8\text{ mm} = 3\text{ cm }8\text{ mm}$$
 or 38 mm

Dexter's method:

$$2\text{ cm }1\text{ mm} = 21\text{ mm}$$

$$5 + 12 + 21 = 38\text{ mm}$$
 or $3\text{ cm }8\text{ mm}$

- $50\text{ cm} + 50\text{ cm} = 1\text{ m}$
 - $4\text{ cm} + 60\text{ mm} = 10\text{ cm}$
 - $12\text{ mm} + 8\text{ mm} = 2\text{ cm}$
 - $1\text{ m }40\text{ cm} + 160\text{ cm} = 3\text{ m}$
- Flo's method:
 - $1\text{ m }85\text{ cm} + 50\text{ cm} = 2\text{ m} + 35\text{ cm} = 2\text{ m }35\text{ cm}$
 - $1\text{ m }85\text{ cm} + 60\text{ cm} = 2\text{ m} + 45\text{ cm} = 2\text{ m }45\text{ cm}$
 - $50\text{ cm} + 60\text{ cm} + 1\text{ m} + 10\text{ cm} = 1\text{ m }10\text{ cm}$
 - $1\text{ m }85\text{ cm} + 50\text{ cm} + 60\text{ cm} = 2\text{ m} + 35\text{ cm} + 60\text{ cm} = 295\text{ cm}$
- Dexter's method:
 - $1\text{ m }85\text{ cm} = 185\text{ cm}$
 - $185 + 50 = 235\text{ cm}$
 - $185 + 60 = 245\text{ cm}$
 - $50 + 60 = 110\text{ cm}$
 - $185 + 50 + 60 = 295\text{ cm}$

8 Subtract lengths

→ pages 92–95

Discover

- There will be **1 m 50 cm** or **150 cm** left.
 - Yes**. There is 1 m 50 cm left, so another 1 m can be cut from this and still leave 50 cm.

Think together

- $300\text{ cm} - 50\text{ cm} = 250\text{ cm}$
There is 250 cm left.
 - The picture is now **75 cm**.
- Lee has cut off **2 cm** or **20 mm**.
- Children should suggest converting to centimetres:
 - $1,000\text{ cm} - 150\text{ cm} - 77\text{ cm} = 773\text{ cm}$ or $7\text{ m }73\text{ cm}$ or $1,000\text{ cm} - (150\text{ cm} + 77\text{ cm}) = 773\text{ cm}$ or $7\text{ m }73\text{ cm}$.
 They could also suggest subtracting the metres first and then the centimetres: $150\text{ cm} + 77\text{ cm} = 227\text{ cm}$, $10\text{ m} - 2\text{ m} = 8\text{ m}$, $8\text{ m} - 27\text{ cm} = 7\text{ m }73\text{ cm}$.



9 Measure perimeter

→ pages 96–99

Discover

- Alex has used **12 cm** of wool to make the red triangle.
 - Alex used 10 cm of wool to make the blue polygon.
She used **more wool to make the red triangle.**

Think together

- The blue rectangle would need **10 cm** of wool.
The orange polygon would need **8 cm** of wool.
- The hexagon is $3\text{ cm} \times 6 = 18\text{ cm}$ or 180 mm.
The square is $25\text{ mm} \times 4 = 100\text{ mm}$ or 10 cm.
The rectangle is $15\text{ mm} \times 2 + 50\text{ mm} \times 2 = 30\text{ mm} + 100\text{ mm} = 130\text{ mm}$ or 13 cm.
- Children should draw a shape with a perimeter of 14 cm. For example, a rectangle with 2 sides of 2 cm each and 2 sides of 5 cm each.

10 Calculate perimeter

→ pages 100–103

Discover

- The school will need to buy **24 metres** of fence.
 - Amelia runs **48 metres.**

Think together

- $2\text{ m} + 2\text{ m} + 2\text{ m} + 2\text{ m} = 8\text{ m}$
The perimeter of the adventure play area is **8 metres.**
 - The perimeter of the playing field is **110 metres.**
The children run **330 metres.**
- The perimeter of the shape is **65 cm.**
- $6\text{ m} + 4\text{ m} = 10\text{ m}$. $18\text{ m} - 10\text{ m} = 8\text{ m}$. The other two sides added together must be 8 m. They could be: 7 m and 1 m, 6 m and 2 m, 5 m and 3 m or 4 m and 4 m.

11 Problem solving – length

→ pages 104–107

Discover

- Yes, **Andy is correct.** The snake could grow to 210 cm or 2 m 10 cm.
 - The snake could grow another **65 cm.**

Think together

- The snake could grow to **6 m** long.
- Max's snail is **4 cm** and **1 mm** long.
- The budgie is **7 cm** and **5 mm** tall.

End of unit check

→ pages 108–109

- B
- D
- B
- A
- C
- The stack is now **35 cm.**



Unit 8 – Fractions (I)

I Understand the denominator of unit fractions

→ pages 112–115

Discover

- $\frac{1}{2}$ of the shape is shaded.
 - $\frac{1}{5}$ of the shape is shaded.
 - $\frac{1}{4}$ of the shape is shaded.
 - $\frac{1}{3}$ of the shape is shaded.
- The numerators are all equal to 1. The denominators are all different.

Think together

- $\frac{1}{4}$ of the shape is shaded.
 - $\frac{1}{8}$ of the shape is shaded.
 - $\frac{1}{3}$ of the shape is shaded.
- If the numerator of a fraction is equal to 1, then it is called a unit fraction.
- The shape has not been divided into three equal parts, so 1:3 is not shaded. The bottom section is equal to the two sections on top, so the correct answer would be $\frac{1}{4}$ of the shape is shaded.
- Children should shade 1 square. Any of the four squares could be shaded so the children's shapes may or may not look the same.
 - It is possible to shade in $\frac{1}{8}$ of the shape if you divide one of the squares into two equal parts and then shade in one part.

2 Compare and order unit fractions

→ pages 116–119

Discover

- Mo can cut his paper into 3 equal parts by measuring the length and dividing by 3. Emma can cut her paper into 4 equal parts by halving the piece of paper and then halving it again.
 - $3\frac{1}{3}$ is greater than $\frac{1}{4}$.
Mo has the bigger parts.

Think together

- $\frac{1}{5}$ is smaller than $\frac{1}{3}$.
 - Smallest to greatest: $\frac{1}{6}$, $\frac{1}{3}$, $\frac{1}{2}$.
- Reena is not correct. Children should show that $\frac{1}{4}$ is greater than $\frac{1}{5}$ by drawing two fraction strips of the same size and dividing one into $\frac{1}{4}$ s and the other into $\frac{1}{5}$ s.

- Fractions greater than $\frac{1}{5}$, $\frac{1}{2}$ and $\frac{1}{4}$.
 - Fractions less than $\frac{1}{5}$, $\frac{1}{6}$, $\frac{1}{9}$, $\frac{1}{10}$, $\frac{1}{15}$.

3 Understand the numerator of non-unit fractions

→ pages 120–123

Discover

- Max's kite shows a unit fraction shaded.
 - $\frac{3}{4}$ of Isla's kite is shaded.

Think together

- $\frac{3}{5}$ of the shape is shaded.
 - $\frac{5}{6}$ of the shape is shaded.
 - $\frac{7}{10}$ of the shape is shaded.
- $\frac{2}{6}$ of the shape is red stripes.
 - $\frac{1}{6}$ of the shape is blue spots.
 - $\frac{3}{6}$ of the shape is purple.
- $\frac{4}{8}$ of the fruit are oranges.
 - $\frac{2}{8}$ of the fruit are red.
 - $\frac{7}{8}$ of the fruit are round.

4 Understand the whole

→ pages 124–127

Discover

- $\frac{3}{10}$ of Jamie's shape is shaded.
 - $\frac{7}{10}$ of Max's shape is shaded.
- $\frac{3}{10} + \frac{7}{10} = 1$ whole

Think together

- $\frac{3}{5} + \frac{2}{5} = 1$
 - $\frac{5}{9} + \frac{4}{9} = 1$
 - $\frac{3}{7} + \frac{4}{7} = 1$
- Children should find: $\frac{1}{6} + \frac{5}{6} = 1$, $\frac{2}{6} + \frac{4}{6} = 1$ and $\frac{3}{6} + \frac{3}{6} = 1$.
- $\frac{7}{8}$ of the iceberg is under the water.

5 Compare and order non-unit fractions

→ pages 128–131

Discover

- $\frac{6}{8}$ of Richard's scarf is shaded.
 - $\frac{4}{8}$ of Alex's scarf is shaded.
- $\frac{6}{8}$ is greater than $\frac{4}{8}$. Richard's scarf has a greater fraction of shaded parts.



Think together

- $\frac{3}{7}$ is smaller than $\frac{5}{7}$.
- $\frac{7}{10} > \frac{3}{10}$
 - $\frac{4}{5} > \frac{2}{5}$
 - $\frac{1}{6} < \frac{4}{6}$
- The missing number could be 8 or 9: $\frac{7}{9} > \frac{8}{9}$ and $\frac{9}{9}$.
 - The missing number could be 3, 4, 5, 6 or 7: $\frac{2}{10} < \frac{3}{10}$, $\frac{4}{10}$, $\frac{5}{10}$, $\frac{6}{10}$, $\frac{7}{10} < \frac{8}{10}$.

6 Divisions on a number line

→ pages 132–135

Discover

- Aki's number line goes up in $\frac{1}{3}$ s.
 - Jamie's number line **does not** go up in $\frac{1}{4}$ s.

Think together

- The number line goes up in $\frac{1}{5}$ s.
- B** and **C** go up in $\frac{1}{6}$ s.
- Alex has put her first marker too near the start of the line.
Luis has put his mark half-way along the line or at $\frac{2}{4}$.
 - Luis has a better method for marking a line in quarters. Now he can split each half in half to make quarters.

7 Count in fractions on a number line

→ pages 136–139

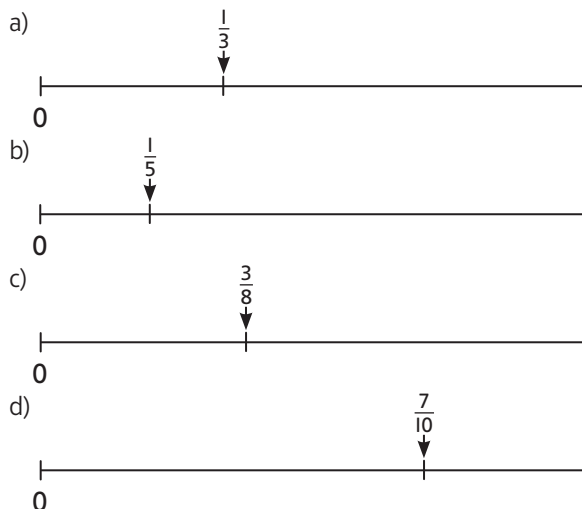
Discover

- The number line goes up in $\frac{1}{7}$ s.
 - The arrows are pointing to $\frac{1}{7}$, $\frac{2}{7}$, $\frac{4}{7}$, $\frac{5}{7}$ and $\frac{6}{7}$.

Think together

- Children should count: $\frac{1}{5}$, $\frac{2}{5}$, $\frac{3}{5}$, $\frac{4}{5}$, $\frac{5}{5}$.
 - Children should count $\frac{1}{8}$, $\frac{2}{8}$, $\frac{3}{8}$, $\frac{4}{8}$, $\frac{5}{8}$, $\frac{6}{8}$, $\frac{7}{8}$, $\frac{8}{8}$ and $\frac{8}{8}$, $\frac{7}{8}$, $\frac{6}{8}$, $\frac{5}{8}$, $\frac{4}{8}$, $\frac{3}{8}$, $\frac{2}{8}$, $\frac{1}{8}$.
- The arrows are pointing to $\frac{1}{6}$ and $\frac{5}{6}$.
 - The arrows are pointing to $\frac{3}{10}$ and $\frac{9}{10}$.

3. a)



8 Equivalent fractions as bar models

→ pages 140–143

Discover

- Both Lee and Mr Lopez are correct.
 - $\frac{1}{2} = \frac{2}{4} = \frac{4}{8} = \frac{8}{16}$

Think together

- $\frac{2}{6}$ or $\frac{1}{3}$ of the strip is shaded.
 - $\frac{1}{3} = \frac{2}{6}$
- $\frac{2}{10}$ or $\frac{1}{5}$ of the strip is shaded.
 - $\frac{2}{10} = \frac{1}{5}$
- $\frac{1}{3}$
 $\frac{1}{4}$
 $\frac{1}{6}$
 $\frac{1}{12}$

9 Equivalent fractions on a number line

→ pages 144–147

Discover

- $\frac{3}{4}$ is equivalent to $\frac{6}{8}$.
 - The other equivalent fractions on the fraction wall are: $\frac{1}{4} = \frac{2}{8}$ and $\frac{1}{2} = \frac{2}{4} = \frac{4}{8}$.

Think together

- $\frac{1}{4} = \frac{2}{8}$
 - $\frac{1}{3} = \frac{2}{6}$
 - $\frac{2}{3} = \frac{4}{6}$
 - $\frac{3}{4} = \frac{6}{8}$
 - $\frac{2}{4} = \frac{4}{8}$ or $\frac{3}{6}$



$$2. \frac{2}{3} = \frac{4}{6} = \frac{6}{9}$$

3. a) Zac is wrong because $\frac{3}{4}$ is smaller than $\frac{7}{8}$ and $\frac{11}{12}$.

$$b) \frac{3}{4} = \frac{6}{8} = \frac{9}{12}$$

10 Equivalent fractions

→ pages 148–151

Discover

1. a) Reena can complete her puzzle with: $\frac{1}{2} = \frac{3}{6}$.

b) Danny could complete his puzzle with: $\frac{1}{2} = \frac{3}{6}$, $\frac{2}{3} = \frac{4}{6}$ or

$$\frac{1}{3} = \frac{2}{6}$$

Think together

$$1. a) \frac{1}{2} = \frac{5}{10}$$

$$b) \frac{1}{5} = \frac{2}{10}$$

$$2. a) \frac{2}{5} = \frac{4}{10}$$

$$b) \frac{3}{10} = \frac{6}{20}$$

$$c) \frac{8}{10} = \frac{4}{5}$$

$$d) \frac{6}{8} = \frac{3}{4}$$

$$3. a) \frac{1}{5} = \frac{4}{20}$$

$$b) \frac{8}{20} = \frac{4}{10}$$

$$c) \frac{8}{16} = \frac{1}{2}$$

$$d) \frac{6}{9} = \frac{2}{3}$$

End of unit check

→ pages 152–153

1. A

2. C

3. D

4. A

5. B

6. D could not be the missing numerator.

7. Smallest to greatest: $\frac{1}{12}$, $\frac{1}{9}$, $\frac{1}{2}$, $\frac{2}{3}$, $\frac{3}{4}$.



Unit 9 – Mass

I Use scales

→ pages 156–159

Discover

- a) Count up in 10s from 0 to 100 to check if the number line goes up in 10s.
b) The number line goes up in **25s**.

Think together

- The number line goes up in **20s**.
- a) The number line goes up in **100s**.
b) The number line goes up in **200s**.
c) The number line goes up in **250s**.
- a) The scale goes up in **100 g** intervals.
b) The scale goes up in **50 g** intervals.

2 Measure mass

→ pages 160–163

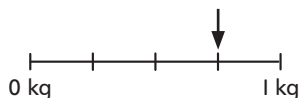
Discover

- a) On scale A each interval is **5 g**.
On scale B each interval is **10 g**.
On scale C each interval is **50 g**.
b) A: 20 g B: 130 g C: 600 g

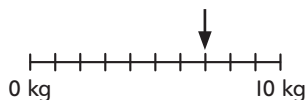
Think together

- a) 225 g b) 375 g c) 450 g

2. a)



b)



- a)

Grams	Kilograms
pen	table
t-shirt	bicycle
ring	suitcase
spoon	
mobile phone	

 b) Pen: 6 g Table: 50 g
 T-shirt: 140 g Bicycle: 10 kg
 Ring: 6 g Suitcase: 3 kg
 Spoon: 25 g
 Mobile phone: 120 g

3 Measure mass in kilograms and grams

→ pages 164–167

Discover

- a) The bag of carrots has a mass of **1 kg 300 g**.
b) The pumpkin has a mass of **6 kg 800 g**.

Think together

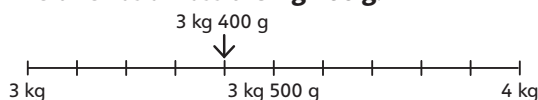
- a) The onions have a mass of **3 kg 400 g**.
b) The peas have a mass of **400 g**.
- a) Both bags of potatoes weigh 1 kg 500 g.
b) Children should notice that the scale intervals are different but the measure is the same on both.
- a) 4 kg 700 g c) 1 kg 950 g
b) 4 kg 500 g d) 10 kg 800 g

4 Equivalent masses

→ pages 168–171

Discover

- a) The bike has a mass of **3 kg 400 g**.
b)



Think together

- a) parts: **2 kg** and **600 g**
b) whole: **3 kg 750 g**
- a) $\frac{1}{2}$ kg = 500 g
b) $\frac{1}{4}$ kg = 250 g
- a) For example: 1 kg or 2 × 500 g or 500 g + 200 g + 200 g + 100 g.
b) For example: 1 kg + 500 g + 200 g or 1 kg + 500 g + 100 g + 100 g or 500 g + 500 g + 200 g + 200 g + 100 g.

5 Compare mass

→ pages 172–175

Discover

- a) The **pineapple** has the greater mass because 1,243 g is more than 1,230 g.
b) The melon has a mass between 1 kg 231 g and 1 kg 242 g.

Think together

- 1 kg 456 g < 1 kg 500 g
1 kg 211 g < 1 kg 215 g
1 kg 90 g > 1 kg 9 g
2 kg 211 g > 2 kg 210 g



2. **B** and **C** are not working correctly. On scale B, 499 g should be lighter than (not heavier than) 1 kg 402 g. On scale C, 3 kg 200 g should be heavier than (not equal to) 3 kg 20 g.
3. Lightest to heaviest: 754 g, 1 kg 9 g, 1,090 g, 1,098 g, 1,432 g, 1 kg 900 g.

6 Add and subtract mass

→ pages 176–179

Discover

1. a) Zac and Alex buy **3 kg 750 g** of flour altogether.
b) Alex buys **750 g** more flour than Zac.

Think together

1. a) $348\text{ g} + 295\text{ g} = \mathbf{643\text{ g}}$
b) $2\text{ kg } 423\text{ g} + 1\text{ kg } 221\text{ g} = \mathbf{3\text{ kg } 644\text{ g}}$
c) $2\text{ kg } 800\text{ g} + 200\text{ g} = \mathbf{3\text{ kg}}$
d) $1,950\text{ g} + 5\text{ kg } 100\text{ g} = \mathbf{7\text{ kg } 50\text{ g}}$
2. a) 750 g
b) 1 kg 300 g
3. a) 500 g
b) Part: 1 kg 150 g
c) 3 kg 800 g
d) Whole: 3 kg 500 g
Parts: 2 kg 600 g and 900 g

7 Problem solving – mass

→ pages 180–183

Discover

1. a) Zac has **200 g** of flour left.
b) There is **75 g** of flour left.

Think together

1. The mass of the flour is **475 g**.
2. The arrow will be pointing to **150 g** (the third interval after 0 on the scales).
3. The mass of one empty wagon is **500 g**.

End of unit check

→ pages 184–185

1. A
2. C
3. C
4. D
5. B
6. The total mass of the two bikes is **1 kg 700 g**.



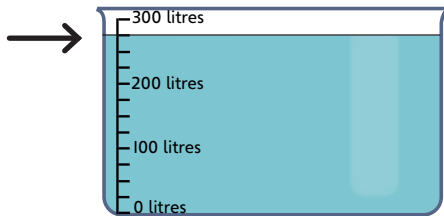
Unit 10 – Capacity

I Measure capacity and volume in litres and millilitres

→ pages 188–191

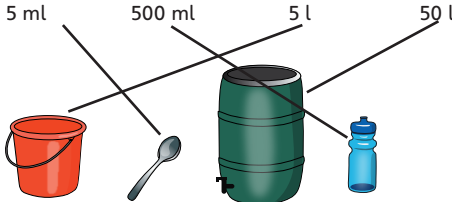
Discover

1. a) There are **150 l** of water left in the tank.
b)



Think together

1. a) There are **35 litres** of fuel left in the tank.
b) There are **140 ml** of water in the bottle
2. 5 ml 500 ml 5 l 50 l



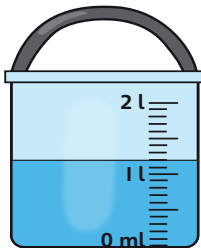
3. a) A = 80 ml B = 175 ml C = 125 ml
b) Smallest to greatest: A, C, B.

2 Measure in litres and millilitres

→ pages 192–195

Discover

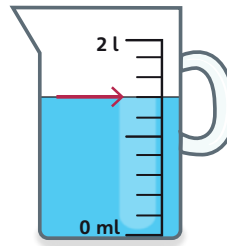
1. a) There are **3 l** and **500 ml** of water in bucket A.
b)



Think together

1. 1 l 500 ml 1 l 800 ml
2. a) **1 l 200 ml** b) **3 l 400 ml** c) **1 l 50 ml**

3. Children should explain that each interval is 200 ml, so the seventh interval is 1,400 ml which equals 1 litre 400 ml.

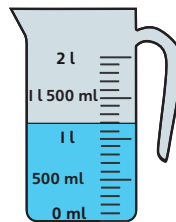


3 Equivalent capacities and volumes (litres and millilitres)

→ pages 196–199

Discover

1. a)



- b) $\frac{3}{4}$ litre = **750 ml**

Think together

1. a) **1,000 ml** of orange juice are needed.
b) **200 ml** of apple juice are needed.
c) **900 ml** of lemonade are needed.
2. a) 250 ml b) 500 ml c) 600 ml
3. The baker will have **1,050 ml** of liquid altogether.

4 Compare capacity and volume

→ pages 200–203

Discover

1. a) 950 ml > 450 ml
There is more **orange juice**.
b) Greatest to smallest: water, orange juice, apple juice, lemon squash.

Think together

1. a) Car A has the greater fuel capacity.
b) 2 l 650 ml is less than 2 l 900 ml because 2,650 < 2,900 or 650 < 900.
2. Smallest to greatest: C, A, D, B.
3. Reena and Max both buy 4 litres. They have the same amount of fizzy drinks.



5 Add and subtract capacity and volume

→ pages 204–207

Discover

- Professor Smith has **600 ml** in total.
 - There is **200 ml** more liquid in A than B.

Think together

- 400 ml
 - 800 ml
 - 450 ml
 - 650 ml

- $1\text{ l} + 2\text{ l} = 3\text{ l}$

$$400\text{ ml} + 250\text{ ml} = \mathbf{650\text{ ml}}$$

$$\text{Total capacity} = \mathbf{3\text{ l } 650\text{ ml}}$$

- 750 ml** is left in the jug.

- $400\text{ ml} + 800\text{ ml} = \mathbf{1\text{ l } 200\text{ ml}}$

$$1\text{ l} + 1\text{ l } 200\text{ ml} = \mathbf{2\text{ l } 200\text{ ml}}$$

$$3\text{ l} = 2\text{ l } 200\text{ ml} + 800\text{ ml}$$

800 ml is needed to fill the jug.

6 Problem solving – capacity

→ pages 208–211

Discover

- Holly uses **three** 200 ml cartons of milk for the pancake recipe.
 - There will be **200 ml** of juice in each cup.

Think together

- $180 \div 6 = 30\text{ ml}$

Francesca uses **30 ml** of shower gel each day.

- $180\text{ ml} + 30\text{ ml} = 210\text{ ml}$

Francesca does not have enough left for another day.

- Francesca drinks **3 l 500 ml** altogether in the two days.

- Leon can fill **8** cups from the bottle.

- If Leon fill 6 cups, **500 ml** is left in the bottle.

End of unit check

→ pages 212–213

1. D

2. A

3. B

4. A

5. A

- 250 ml** of lemonade is left in the bottle.